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THE QUASIVARIETY $\mathbf{SP}(L_6)$. II. A DUALITY RESULT

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We prove that the category of complete bialgebraic $(0,1)$ -lattices belonging to the quasivariety $\mathbf{SP}(L_6)$ generated by a finite lattice L_6 with complete $(0,1)$ -lattice homomorphisms, is dually equivalent to the category of so-called L_6 -spaces with L_6 -morphisms. It was established in [1] that the quasivariety $\mathbf{SP}(L_6)$ forms a variety and a finite equational basis for this variety was found. Our proof is based on the approach proposed by V. Dziobiak in [2,3].

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Literature

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[3] W. Dziobiak, M. V. Schwidefsky, *Duality for bi-algebraic lattices belonging to the variety of $(0,1)$ -lattices generated by the pentagon*, to appear in Algebra and Logic.

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